





Names: \_\_\_\_\_

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- b. Calculate the horizontal distance between the initial launch and the moment it strikes the block. (1)
        - c. After the dart hits the block, it sticks. Calculate the speed of the block and dart just after the collision. (2)
        - d. The block and dart become a simple pendulum after the strike. Calculate the time it takes for the block to return to its original position after the initial strike. (2)
2. A basketball with mass = .624 kg and .243 m in diameter is held fully under water.
  - a. Calculate the buoyant force and weight. (2)
  - b. When released, does the ball sink to the bottom or float to the surface? (1)
  - c. If it floats, what percentage of it is sticking out of the water? If it sinks, what is the normal force,  $F_N$  with which it sits on the bottom of the pool? (2)
3. The density of an oil is 850 kg/m<sup>3</sup>. Find its relative density and kinematic viscosity if the dynamic viscosity is 5e-3 kg/ms. (2)

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4. What will be the the gauge pressure and the absolute pressure of water at depth 12m below the surface? Roh water =  $1000 \text{ kg/m}^3$ , and  $p$  atmosphere =  $101 \text{ kN/m}^2$  .
- a. (1)
- b. (1)
5. A block of mass  $m$  is projected up from the bottom of an inclined ramp with an initial velocity of magnitude  $v_0$  . The ramp has negligible friction and makes an angle  $\omega$  with the horizontal. A motion sensor aimed down the ramp is mounted at the top of the incline so that the positive direction is down the ramp. The block starts a distance  $D$  from the motion sensor, as shown above. The block slides up the ramp, stops before reaching the sensor, and then slides back down.
- a. Consider the motion of the block at some time  $t$  after it has been projected up the ramp. Express your answers in terms of  $m$ ,  $D$ ,  $v_0$ ,  $t$ ,  $\omega$  and physical constants, as appropriate.
- i. Determine the acceleration  $a$  of the block. (1)
- ii. Determine an expression for the velocity  $v$  of the block. (1)
- iii. Determine an expression for the position  $x$  of the block. (1)
- b. Derive an expression for the position min  $x$  of the block when it is closest to the motion sensor. Express your answer in terms of  $m$ ,  $D$ ,  $v_0$ ,  $\omega$ , and physical constants, as appropriate. (2)